

Hybrid CEPIDE Optimization for Economic Load Dispatch and Estimation of Transmission Parameters

Susanta Kumar Gachhayat¹, Dr.Saroj Kumar Dash²

¹Asst. Prof. and Head, Department of Electrical Engineering, KIST, Bhubaneswar, Odisha, India

²Professor and Head, Department of Electrical Engineering, GITA, Bhubaneswar, Odisha, India

Abstract

In this paper, classical biological process programming i.e. classical evolutionary programming (CEP) and improved differential evolution (IDE) are utilized to obtain ELD results for 6 unit IEEE system. A chaotic remodelling issue is additionally enclosed in EP rule to ameliorate the concurrence characteristic for the 6-unit IEEE test suit system. The results obtained are satisfactory and within the optimum emission atmosphere. EP-based CEED downside has been tested on IEEE 6-bus system with and without transmission losses. Investigations showed that classical biological process programming and quick biological process programming i.e. fast evolutionary programming (FEP) were higher among biological process computation ways in ascertaining the ELD downside with challenges posed for large thermal units of big thermal power plants. To beat these challenges in large thermal units the projected classical biological process programming based mostly improved differential evolution (CEPIDE) strategy is applied involving a cubic form price, emission and combined objective approach, to satisfy the non-smooth and non-differentiable fuel functions threats of large units to yield higher ends up in comparison to alternative heuristic ways like particle swarm optimization (PSO), differential evolution (DE), Fuzzy and genetic rule etc. The power outputs of classical EP technique are used as initial approximations for IDE technique.

Keywords: Economic load dispatch, Economic emission dispatch, Combined economic emission dispatch, Fast evolutionary programming, Classical evolutionary programming based improved differential evolution.

1. Introduction

The prime objective for Economic Load Dispatch (ELD) is to diminish the real power outage value as well as satisfying the equality and inequality constraints and emission objectives moreover defined by **Ghasemi et.al in (2016)**. Earlier classical lambda iteration methodology was used to solve ELD drawback with equal differential price evaluation principle for systems neglecting transmission losses and penalty factors involving exploitation of matrices for considering the losses. **Miranda and Hota et al. applied EP during (1998-1999)** to ELD drawback involving chaotic fuel functions involving valve point loading experimented by **Lu Yi and Sharma et.al during (2010-17)**. It's matter of grave concern that in EP, mutation chance is fastened throughout the complete search method. But, in sensible goals, fastened mutation yields pre-mature condition. Wong and Alamode Kehinde Olukunmi planned earlier a simple mutation principle for EP algorithmic rule to unravel

CEED drawback in ten-unit system. **Subramanian (2010) and park et al.(1993)** validated EP algorithmic rule to optimize line flow limitation with quadratum and valve point loading functions. **Santra Dipankar and Kulkarniet.al,(2019-20)** tried for ordered quadratum technique to optimize CEED drawback by involving weight parameters for generation and emission value functions. Load flows are enumerated through assignment distribution factors exploitation sensitivity information of the Jacobean components of load flow involving Newton Raphson methodology. Recent CIGRE North American nation Conference command at LE Westin urban centre from sixteen - nineteen Gregorian calendar months 2019 drew the eye of researchers and power engineers that combined cycle cogeneration plants (CCCP) have shown their importance in each developing and developed countries so as to boost the potency of generation. The Electricity Generating Authority of 2-GW coal-burning Homer town Generating station close to Homer town, in Hoosier State County, Pennsylvania, USA encompasses a great deal of thermal units with non-smooth and non-differentiable fuel value characteristic that enhances any non-linearity in ELD drawback. The present work constitutes the application of classical EP methodology to overcome ELD drawback for 6 unit IEEE thirty bus legal action system having chaotic and non-differentiable fuel functions. A changed value penalty issue is considered to seek out the precise economic emission fuel value with reference to the load demand. In the recent research, EP algorithmic rule is planned to unravel the CEED drawback (**Sharma Ragini and Huddav Anupama, 2020**) involving cubic cost objective value and emission objective functions. The planned EP algorithmic rule is incontestable to unravel the CEED drawback for 6unit IEEE thirty bus system shown in Figure1. Within the planned EP algorithmic rule, transformation of individuals is chaotically dynamic with reference to the quantity of real power outage to avoid early condition. Therefore, the chaotic scaling issue is involved in EP algorithmic rule and tried on the six-unit IEEE legal action system with valve point loading. This results for real power generations from classical EP technique. Within the planned methodology, penalty issue and weight methodology is applied to convert multiobjective drawback into single objective drawback. The biological process programming technique is applied to seek out the most effective comprised answer. Results obtained by 2 kinds of biological process programming techniques i.e. classical biological process and quick biological process programming and compared to pick oldsters for the optimal solution of multi objective ELD. Each CEP and FEP will notice and maintain multiple solutions in one single simulation run however slow convergence rate of CEP and FEP becomes a challenge for giant thermal generating units which was noticed by **Sinha Nidul (2003), Yang et.al. and Kenneth V.P. (1996)**. To avoid challenges of this sort the results of random competition between oldsters and off springs within the choice method that causes challenge in large thermal generating units, tried as initial estimates for pool members of associate improved differential evolution technique that want to choose and take away feebly chosen goals. Initial transformation and existence experiments within the equal area units were collated. Individuals with least important objective value area unit are eliminated until the last loop G in large power station is reached .So the planned classical biological process programming primarily based on improved differential evolution (CEPIDE) strategy for large thermal generating units through a cubic cost objective value, emission objective value and combined objective approach meets out the challenges displayed by non-smooth and non-differentiable fuel functions of large units and yield higher ends up in comparison to different heuristic ways like particle swarm optimisation(PSO),differential evolution(DE),Fuzzy and genetic algorithmic rule etc. that were **analysed earlier by Gaing and Papago et.al.,(2003-07)**.The

power output obtained out of CEPIDE optimisation methodology is utilised to estimate the parameters of conductor and simulate the parameters of the transmission lines moreover.

2. Problem formulation

CEPIDE optimisation drawback has been developed as a two-objective optimisation drawback which deals with the cost of fuel and emission level as target functions. The alternators incorporated are all thermal units and assumed operating on-line throughout. Multi constraints like identity and dissimilarity constraints moreover as transmission loss are conjointly incorporated within the drawback formulation for completeness of innovative project under consideration. A combinatorial approach of classical EP and improved differential evolution technique applied by **Kenneth, V.P(1996)** has been tried to optimize a blockish price, emission and combined objective operate for a half dozen unit thermal power station providing 1200 MW to load centre through a 252kM high voltage AC conductor.

2.1 Formulation of basic objective function

$$F = \left[\begin{array}{l} \sum_{i=1}^n (a_i + b_i P_{gi} + c_i P_{gi}^2 + \\ \left| d_i \sin \left\{ e_i (P_{gi}^{\min} - P_{gi}) \right\} \right| + f_i P_{gi}^3 \end{array} \right] \text{ \$ / hr} \quad (1)$$

Where, a_i, b_i, c_i, d_i, e_i and f_i are the cost coefficients of fuel cost function.

F = fuel cost function of thermal units.

P_{gi} = Real power generated of i^{th} units.

n = total number of generating units.

P_{gi}^{\min} = minimum power of i^{th} unit

$$E = \sum_{i=1}^n (\alpha_i + \beta_i P_{gi} + \gamma_i P_{gi}^2 + \eta_i \exp(\delta_i P_{gi})) + \Gamma_i P_{gi}^3 \text{ Ton / hr} \quad (2)$$

Where, $\alpha_i, \beta_i, \gamma_i, \eta_i, \delta_i$ and Γ_i are emission coefficients of the emission function.

Equality constraints: The total real power outage in a power system must satisfies the load power and line loss in equation (3).

$$\sum_{i=1}^N P_{gi} - (P_D + P_L) = 0 \quad (3)$$

P_D represents the load power.

P_L represents line losses, that are estimated in terms of B-coefficients as:

$$P_L = \sum_{i=1}^N \sum_{j=1}^N P_{gi} B_{ij} P_{gj} \text{ MW} \quad (4)$$

B-coefficients for 6-generating units are computed and are given as;

$$B_{ij} = \begin{pmatrix} 0.00013 & 0.000016 & 0.000014 & 0.000018 & 0.000025 & 0.000021 \\ 0.000016 & 0.000059 & 0.000012 & 0.000015 & 0.000014 & 0.000019 \\ 0.000014 & 0.000012 & 0.000064 & 0.000016 & 0.000023 & 0.000018 \\ 0.000018 & 0.000015 & 0.000016 & 0.000070 & 0.000029 & 0.000024 \\ 0.000025 & 0.000014 & 0.000023 & 0.000029 & 0.000068 & 0.000031 \\ 0.000021 & 0.000019 & 0.000018 & 0.000024 & 0.000084 & 0.000031 \end{pmatrix} \quad (5)$$

The inequality constraints imposed on generator real power output are

$$P_{gi}^{\min} \leq P_{gi} \leq P_{gi}^{\max} \quad (6)$$

The power of dependent unit will violate its difference constraint. Difference constraint handling of dependent unit power is handled satisfying equation(6)&(7).If the output of the dependent unit exceeds its limits then error is calculated using victimization equation(7) and a penalty term is introduced within the target function equation(9) .

$$\begin{cases} W_1 = 1, W_2 = 0; \text{Economic load scheduling} \\ W_1 = 0, W_2 = 1; \text{Emissionscheduling} \\ W_1 = 1, W_2 = 1; \text{Multiobjective scheduling} \end{cases} \quad (7)$$

Where,

$W_1, W_2 =$ Weight factors

$$P_d = \begin{cases} P_{gi}^{\min}; P_{gi}^j < P_{gi}^{\min} \\ P_{gi}^{\max}; P_{gi}^j > P_{gi}^{\max} \quad (i = 1, 2, \dots, n; i \neq d) \\ P_{gi}; P_{gi}^{\min} \leq P_{gi} \leq P_{gi}^{\max} \end{cases} \quad (8)$$

Minimize

$$F_T = [W_1 \times F + W_2 \times h \times E + (S \times \text{Error}^2)] \quad (9)$$

subjected to satisfying constraints imposed in equations (3) and (6).

The problem is first transformed into a scalar optimization by using weight factor and price penalty factor(h).Where, h is defined as;

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$$\frac{\mathbf{F}}{\mathbf{E}} = \mathbf{h} \quad \$/ \mathbf{lb} \quad (10)$$

Where,

h = Price penalty factor

S = penalty factor

F_T = Objective function

2.2 Classical evolutionary programming Technique

It is basically a presumption search technique, which yields the initial parents allocated evenly in interval within the bounds and obtains global optimal solution over series of trials. Classical evolutionary programming is a search method based on the dynamics of natural adaptation. It is illustrated through the following steps:

2.2.1 Initialization

Classical organic process programming is presumption technique that yields the initial parents allocated evenly in bound among the extremities and obtains international optimal resolution within the range of trials. Classical organic process programming is a search rule supporting the mechanics of activity. It's illustrated through the subsequent steps:

$$P_i = P_{gi}^{\min} + \text{rand}() (P_{gi}^{\max} - P_{gi}^{\min}) \quad (i = 1, 2, \dots, n; i \neq d) \quad (11)$$

$\text{Rand}()$ is uniform random number ranging within $[0, 1]$.

The offspring creation using classical evolutionary programming method is mentioned under:

$$P_i^{(k+1)} = P_i^k + Sd_i^k \text{Co}() \quad (12)$$

$$Sd_i^k = Sd_i^k \exp(\tau N(0, 1) + \tau' N(0, 1)) \quad (13)$$

Where, $\text{Co}()$ = Cauchy random number, $N(0, 1)$ = Normalized random number,

$$\tau = (\sqrt{2\sqrt{N}})^{-1}, \tau' = (\sqrt{2 \times N})^{-1}$$

2.2.2 Classical evolutionary programming

Each directional element is updated through addition of a normally distributed random number with mean zero and standard deviation S_d denoted as $N(0, \sigma^2)$. To generate offspring, the following equation is used.

$$P_{gi} = P_{gi} + Sd_i^k N(0, 1) \quad (i = 1, 2, \dots, n; i \neq d) \quad (14)$$

Where, $N(0, 1)$ is a normally distributed random variable with zero mean and unit variance.

The standard deviation is given by the following mathematical expression

$$Sd_i^k = \beta \left(\frac{f}{f^{\min}} \right) (P_{gi}^{\max} - P_{gi}^{\min}) \quad (i = 1, 2, \dots, n; i \neq d) \quad (15)$$

Where, β is the scaling factor. f is the fitness value and f^{\min} is minimum fitness amongst the parents.

2.2.3 Fast Evolutionary Programming

Offspring generation in Cauchy mutation is given by:

$$P_{gi} = P_{gi} + Sd_i^k C_i(0,1) \quad (i = 1, 2, \dots, n; i \neq d) \quad (16)$$

Where, $C_i(0,1)$ is a random variable with scale parameter $t=1$ and centred at zero.

Better of Gaussian and Cauchy mutation are expressed as ;

$$P_{gi} = P_{gi} + Sd_i^k N(0,1) \quad (i = 1, 2, \dots, n; i \neq d) \quad (17)$$

$$P_{gi} = P_{gi} + Sd_i^k (0,1) \quad (i = 1, 2, \dots, n; i \neq d) \quad (18)$$

2.2.4 Mutation

Mutation results in creation of offsprings. The parents are candidate solutions that satisfy all criteria. This deviation is rectified by using equation (8). The values of the objective function of both offspring (Gaussian and Cauchy) are obtained, analyzed, and better one is chosen as offspring for competition and selection. Parents and their offsprings generated by mutation form a unified population of $2L$ members.

2.2.5 Competition and selection

The $2L$ members so obtained through mutation process participate among one another for selection. A weight w^k is assigned to each individual as follows;

$$w^k = \frac{1}{\sum_{k=1}^L w^k} \quad (k = 1, 2, \dots, L) \quad (19)$$

$$w^k = \begin{cases} 1; & \text{if } \dots u_1 > \left(\frac{f^k}{f^r + f^k} \right) \\ 0; & \text{else} \end{cases} \quad (20)$$

With f^r as the fitness of the r^{th} competitor randomly selected from $2L$ pool members and u_1 as an even arbitrary number between $[0, 1]$.

$r = [2L \times u_2 + 1]$ and u_2 are even arbitrary number ranging between $[0, 1]$.

Count the number of wins and select the population with better number of wins as per the equation (16), (17) and (18). The flowchart for CEPIDE optimization is shown in Figure 2.

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Figure1 IEEE 30 bus 6 unit test case system

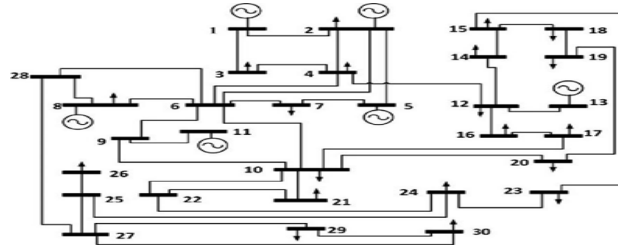
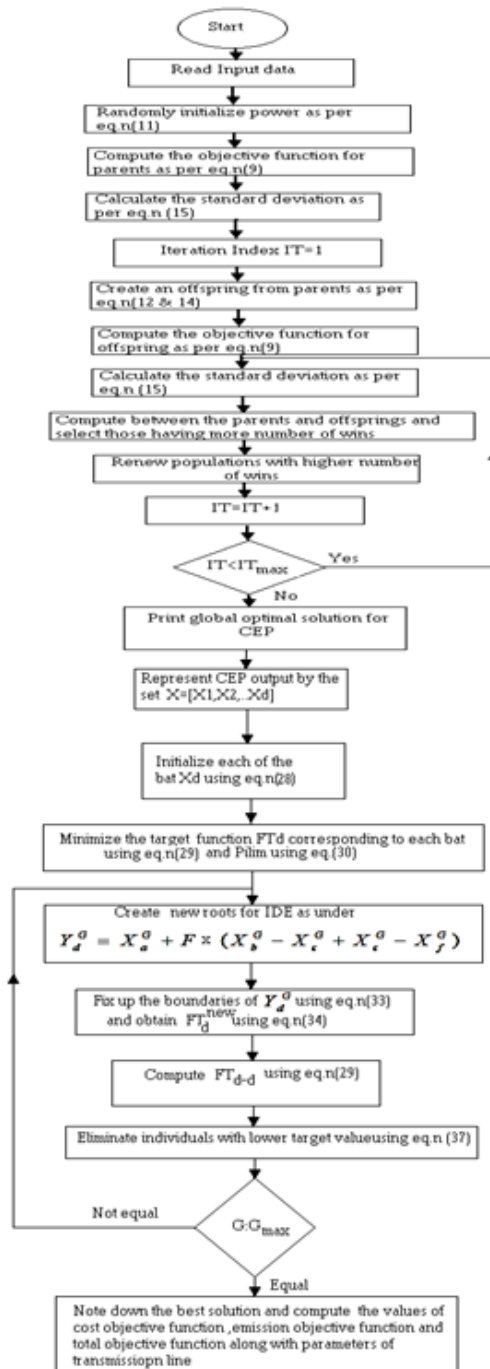


Figure2 Flow chart for Multi objective economic load dispatch using CEPIDE Optimization



2.2.6 Utility of hybrid CEPIDE optimization technique

Classical organic process programming being a probabilistic, international search technique will notice and maintain multiple solutions in one single simulation run. Since it's a slow convergence rate for giant drawback therefore, the results obtained

by this CEP technique area unit are treated as initial estimates for improved differential evolution technique ensuring a hybrid classical organic process programming based mostly improved

differential evolution technique for ascertaining the higher optimum cost for real power generation, cost of generation, emission and total objective function. Moreover victimization of these optimized results may be used for optimizing the transmission loss.

3. Methodology

The projected methodology involving classical organic process programming and improved differential evolution, for multi objective generation dispatch addressing severe nonlinear load behaviour of large thermal power plants subjected to multi constraints, is bestowed during this section involving a cubic form of cost and emission level objective function.

3.1 An Introduction to IDE

IDE may be a straightforward and effective improved organic process rule meant for optimizing real parameter and real valued functions. This methodology involves criteria undergoing mutation and recombination. Vide mutation, if there's a modification in measure, it'll result in another modification within the crossover to attain the most effective worth compared to the first values. Earlier, **Dos (2014)**, **Rajagopalan (2015)** and **Zou et.al., (2018)** found that IDE is additionally a method that uses adaptation of population development. Choice of parameters for IDE is to enhance roots to vary up to acceptable limit. IDE's performance is additionally completely tested through fifteen functions that are verified with recent publications, leading to IDE meeting all fifteen of those functions and is that the quickest methodology in addressing eleven out of fifteen functions, the opposite four functions square measure still difficult. The requirement for modification and development of arithmetic has long been so much on the far side the process capabilities of each hardware and software package, we want to search out associate in nursing rule that usually used and indiscriminately custom-made a perform while not intervention. IDE is such that the methodology that may manage aforesaid downside mechanically and quickly. Like alternative organic process algorithms, IDE simplifies issues by permitting parameters square measure described as real variables. It transforms objectives of IDE square measure simple to

implement and straightforward to use. What makes the foremost roaring of IDE is randomizing the roots to make the most effective results. A lot of specifically, one-dimensional hybrid ways can then replace the parameters within the target vector with a number of the parameter values obtained in optimum vector. IDE continually accepts the great solutions however in fact not any selection is maintained. Optimizing functions victimization IDE that create users create a range up to a few main factors that square measure population n , mutation issue F , and crossover constant Cr . However, for a few issues, the amount of roots is going to be elite by the temporal simulation arrangement.

3.2 Calculation of power balance unit

The balance unit is employed to manage the ability balance constraint, whereas the output power of the balance unit is often among the boundary so as to try and do this. The primary generator unit was elite as a balanced variable for the entire power output from the balance unit and also the remaining units meet the entire demand load and transmission line loss. So the generating power of the $n-1$ generator from the second unit to the n unit square measure indiscriminately initialized, then the power outage of the remaining unit is calculated as follows:

$$P_{d1} = P_D + P_L - \sum_{i=2}^n P_i \quad \text{MW} \quad (21)$$

Equation of total network losses of the system is rewritten with a variable defined by P_L as follows:

$$P_L = \left[\begin{array}{l} B_{11}P_1^2 + (2 \sum_{i=2}^n B_{1i}P_i + B_{01})P_1 + \\ \sum_{i=2}^n \sum_{j=2}^n P_i B_{ij} P_j + \sum_{i=2}^n B_{0i}P_i + B_{00} \end{array} \right] \quad (22)$$

$$P \times A \times P_1^2 + B \times P_1 + C = 0 \quad (23)$$

$$\text{Where, } A = B_{11} \quad (24)$$

$$B = 2 \sum_{i=2}^n B_{1i}P_i + B_{01} - 1 \quad (25)$$

$$C = \left[\sum_{i=2}^n \sum_{j=2}^n P_i B_{ij} P_j + \sum_{i=2}^n B_{0i}P_i + B_{00} + P_D - \sum_{i=2}^n P_i \right] \quad (26)$$

The power output of the balance unit with positive value, which was selected between the two obtained roots by solving the following equation

$$P_{d1} = \frac{-B \pm \sqrt{B^2 - 4AC}}{2A} \quad (B^2 - 4 \times A \times C \geq 0) \quad (27)$$

3.3 Application of DE for emission-

economic dispatch problem

3.3.1 Initialization

A set of nd bats is represented by the set

$X = [X_1, X_2, \dots, X_d]$. In that for each bat $X_d = [P_{2d}; \dots; P_{nd}]$ with $(d = 1, nd)$ represent the power output from the second unit to the n unit (except the balanced unit $(P_{1,d})$ is initialized by:

$$X_d = P_{id, \min} + \text{rand} \times (P_{id, \max} - P_{id, \min}) \text{ (MW)} \quad (28)$$

For rand , a random number is in the range of $[0, 1]$ for each set of bats and $i = 2, 3, n$ (n is the number of generators). Based on initialization from the set of bats, the target function FT_d is minimized corresponding to each bat and is computed as under:

$$FT_d = \sum_{i=1}^n (w_1 F_{1id}(P_{id}) + w_2 \cdot PR \cdot F_{2id}(P_{id})) + k_s (P_{d1} - P_1^{\text{lim}})^2 \quad (29)$$

Where k_s is penalty factor for power balance unit, P_{d1} is power output of the balance unit and $P_{1\text{lim}}$ is limitation of power output of the balance unit which calculated as under:

$$P_1^{\text{lim}} = \begin{cases} P_{1, \max} & \text{if } P_{1,d} > P_{1, \max} \\ P_{1, \min} & \text{if } P_{1,d} < P_{1, \min} \\ P_{ds1} & \text{otherwise} \end{cases} \quad (30) \quad \text{3.3.2. Mutation}$$

New roots for DE and IDE are computed as under;

$$Y_d^G = X_a^G + F \times (X_b^G - X_c^G) \quad (31) \quad Y_d^G = X_a^G + F \times (X_b^G - X_c^G + X_c^G - X_f^G) \quad (32)$$

These roots may not satisfy the extremities of the boundary, so it is essential to redefine the value within the permissible range as follows;

$$Y_d^G = \begin{cases} X_{\max} & \text{if } Y_d^G > X_{\max} \\ X_{\min} & \text{if } Y_d^G < X_{\min} \\ Y_d^G & \text{otherwise} \end{cases} \quad (33)$$

Calculation of fitness function for newly roots using

above formula is as under;

$$FT_d^{\text{new}} = F(Y_d^G) \quad (34)$$

3.3.3. Crossover

Since the crossbreeding separates the present population by exchanging solutions before and after mutation so, the subsequent solution vector will comprise the following in the beginning and at the

end of the solution as under;

$$Z_d^G = \begin{cases} Y_d^G & \text{if } \text{rand} \leq \text{CR} \\ Z_d^G & \text{otherwise} \end{cases} \quad (35)$$

Identically we obtain FT_d as;

$$FT_{d_d} = FT_{di}^{\text{new}} \quad (36)$$

Where, FT_{d_d} is the target function for the bats after

the cross over process?

CR= Cross-breeding coefficient selected within [0, 1].

Rand_j= Real numbers within [0, 1].

3.3.4. Selection

Individuals with lower target objective values will be removed in the following way;

$$X_i(G+1) = \begin{cases} Z_i(G) & \text{if } f[Z_i(G)] \leq f[X_i(G)] \\ X_i(G) & \text{otherwise} \end{cases} \quad (37)$$

Mutation continues till G is less than G_{\max} . Conversely, when $G = G_{\max}$, the DE test is stopped and the best solution up till this point is found.

3.4 Selection of control parameters for DE and IDE methods

As delineated within the American state and IDE algorithms, these 2 ways comprise 2 basic parameters: population NP and maximum range of loops Gmax, and 2 management parameters together with constant of variation F and constant of pairing Cr. Out of those four parameters, the magnitude of the population n and also the maximum range of loops Gmax directly affects the resolution quality and runtime of the program. Indeed, once the population is kind of massive, the amount of giant initial solutions and also the new generation of experiments in addition because the analysis of the experiment takes time and in fact the standard of the solution when finish of every

program is healthier. Equally for the most important range of loops, the new generation method continues because the range of loops will increase, and new ones typically having higher quality than the previous resolution, are going to be found. As such, these 2 parameters directly have an effect on the solution quality and program run time in addition. In contrast to the n population and also the largest range of loops, Gmax, F and Cr don't have an effect on the procedure time however has an effect on the solution quality. Within the study, the value of the F-factor lies in the interval [0; 2] and also the value of the Cr in [0; 1] and reach in nursing satisfactory resolution. Cr constant is that the acceptance rate when the mutation and also the optimum value of this quantitative relation depends on the matter within the optimum value of F sometimes reached at 0.5 and also the setting value for the issue F ought to be among [0; 1.2]. During this study, the value of F was modified to [0.2; 1.2] with a 0.2 jump whereas the worth of Cr is modified to [0.2; 1] with a jump of 0.2. The optimum value is found supported and the most effective resolution is found. Within the case of sets of numbers having an equivalent optimum resolution, the quality deviation is going to be the quality determinant of the most effective value of the set. As seen from the table, once W1=1 & W2=0, the entire generation cost comes intent on be minimum at the expense of increase in emission. Once W1=0 & W2=1, the entire emission comes intent on be minimum (emission dispatch) at the expense of increase in price. Once W1=1 & W2=1, at this stage each generation price and emission (Multi objective dispatch) square measure controlled equally. The standard IEEE thirty bus grid is employed for simulation that is shown in Figure 1. The projected methodology is simulated within the Mat laboratory programing language and runs on Core i5 laptops, 4GB RAM. The tactic is run fifty times and also the resultant details square measure as follows: The system consists of 6 units with and without power losses on the road. System parameters square measure given in Table 1 and a loading capability of 1200 MW. To implement the tactic American state and IDE for the system, n population and also the largest range of iterations square measure severally elite by ten and one hundred fifty. Additionally, the worth of Cr and F square measure set from [0.2; 1] and from [0.2; 1.2]. However, the most effective value obtained for economic dispatch gain in CR=0.8 and F=0.6. Detailed results for economic dispatch are shown in Table 3. As per this table, the tiniest price by IDE is 8227.0973 (Rs./h) whereas DE's smallest price at CR=0.6 and F=0.8 is 8227.11 (Rs./h). Therefore, the IDE has achieved optimum result than one amongst American state. Performance characteristic in Figures 3 and 4 shows that IDE continually offers higher results than American state in every iteration. Emission dispatch within the workload of 1200 MW for economic-emission dispatch is calculated as follows;

$$h_i = \frac{F_i(P_{i,max})}{E_i(P_{i,max})} = \frac{a_i + b_i P_{gi} + c_i P_{gi}^2 + \left| d_i \sin \left(e_i (P_{gi}^{min} - P_{gi}) \right) \right| + f_i P_{gi}^3}{\alpha_i + \beta_i P_{gi} + \gamma_i P_{gi}^2 + \eta_i \exp(\delta_i P_{gi}) + \Gamma_i P_{gi}^3} \quad (38)$$

hi(\$./kg) is the ratio between Fi(Pi, max) and Ei (Pi, max) for n units where n=6, (i=1,2,...6) in system 2.

The values of hi (\$./kg) for 6 units are presented as follows;

$$\begin{aligned}
 h_1(600) &= \frac{F_1(P_{1,\max})}{E_1(P_{1,\max})} \\
 &= \frac{a_1 + b_1 P_{g1\max} + c_1 P_{g1\max}^2 + \left| d_1 \sin \left(e_1 (P_{g1}^{\min} - P_{g1\max}) \right) \right| + f_1 P_{g1\max}^3}{\alpha_1 + \beta_1 P_{g1\max} + \gamma_1 P_{g1\max}^2 + \eta_1 \exp(\delta_1 P_{g1\max}) + \Gamma_1 P_{g1\max}^3} \quad (39) \\
 &= \frac{561 + 7.92 \times 600 + 0.001562 \times 600^2}{13.85932 + 0.32767 \times 600 + 0.00419 \times 600^2} \\
 &= 3.418 \text{ \$/kg}
 \end{aligned}$$

$$\begin{aligned}
 h_2(400) &= \frac{F_2(P_{2,\max})}{E_2(P_{2,\max})} \\
 &= \frac{a_2 + b_2 P_{g2\max} + c_2 P_{g2\max}^2 + \left| d_2 \sin \left(e_2 (P_{g2}^{\min} - P_{g2\max}) \right) \right| + f_2 P_{g2\max}^3}{\alpha_2 + \beta_2 P_{g2\max} + \gamma_2 P_{g2\max}^2 + \eta_2 \exp(\delta_2 P_{g2\max}) + \Gamma_2 P_{g2\max}^3} \quad (40) \\
 &= \frac{310 + 7.85 \times 400 + 0.00194 \times 400^2}{13.85932 + 0.32767 \times 400 + 0.00419 \times 400^2} \\
 &= 4.612 \text{ \$/kg}
 \end{aligned}$$

$$\begin{aligned}
 h_3(200) &= \frac{F_3(P_{3,\max})}{E_3(P_{3,\max})} \\
 &= \frac{a_3 + b_3 P_{g3\max} + c_3 P_{g3\max}^2 + \left| d_3 \sin \left(e_3 (P_{g3}^{\min} - P_{g3\max}) \right) \right| + f_3 P_{g3\max}^3}{\alpha_3 + \beta_3 P_{g3\max} + \gamma_1 P_{g3\max}^2 + \eta_3 \exp(\delta_3 P_{g3\max}) + \Gamma_3 P_{g3\max}^3} \quad (41) \\
 &= \frac{78 + 7.97 \times 200 + 0.00482 \times 200^2}{40.2669 + (-0.54551) \times 200 + 0.00683 \times 200^2} \\
 &= 9.125 \text{ \$/kg}
 \end{aligned}$$

$$\begin{aligned}
 h_4(590) &= \frac{F_4(P_{4,\max})}{E_4(P_{4,\max})} \\
 &= \frac{a_4 + b_4 P_{g4\max} + c_4 P_{g4\max}^2 + \left| d_4 \sin \left(e_4 (P_{g4}^{\min} - P_{g4\max}) \right) \right| + f_4 P_{g4\max}^3}{\alpha_4 + \beta_4 P_{g4\max} + \gamma_4 P_{g4\max}^2 + \eta_4 \exp(\delta_4 P_{g4\max}) + \Gamma_4 P_{g4\max}^3} \quad (42) \\
 &= \frac{500 + 7.06 \times 590 + 0.00139 \times 590^2}{40.2669 + (-0.54551) \times 590 + 0.00683 \times 590^2} \\
 &= 2.457 \text{ \$/kg}
 \end{aligned}$$

$$h_5(440) = \frac{F_5(P_{5,\max})}{E_5(P_{5,\max})} = \frac{a_5 + b_5 P_{g5\max} + c_5 P_{g5\max}^2 + \left| d_5 \sin \left(e_5 (P_{g5}^{\min} - P_{g5\max}) \right) \right| + f_5 P_{g5\max}^3}{\alpha_5 + \beta_5 P_{g5\max} + \gamma_5 P_{g5\max}^2 + \eta_5 \exp(\delta_5 P_{g5\max}) + \Gamma_5 P_{g5\max}^3} \quad (43)$$

$$= \frac{295 + 7.46 \times 440 + 0.00184 \times 440^2}{42.89553 + (-0.51116) \times 440 + 0.00461 \times 440^2} = 5.537 \text{ \$/kg}$$

$$h_6(440) = \frac{F_6(P_{6,\max})}{E_6(P_{6,\max})} = \frac{a_6 + b_6 P_{g6\max} + c_6 P_{g6\max}^2 + \left| d_6 \sin \left(e_6 (P_{g6}^{\min} - P_{g6\max}) \right) \right| + f_6 P_{g6\max}^3}{\alpha_6 + \beta_6 P_{g6\max} + \gamma_6 P_{g6\max}^2 + \eta_6 \exp(\delta_6 P_{g6\max}) + \Gamma_6 P_{g6\max}^3} \quad (44)$$

$$= \frac{295 + 7.46 \times 440 + 0.00184 \times 440^2}{42.89553 + (-0.51116) \times 440 + 0.00461 \times 440^2} = 5.537 \text{ \$/kg}$$

Shorting h_1, h_2, h_3 by ascending order we get

$$h_4(590) = 2.457$$

$$h_1(600) = 3.418$$

$$h_2(400) = 4.612$$

$$h_5(440) = 5.537$$

$$h_6(440) = 5.537$$

$$h_3(200) = 9.125$$

With total load demand of the system is 800MW:

$$590 + 600 = 1190(\text{MW}) > 800(\text{MW}) \text{ Then, } PR = h_1 = 3.418(\text{\$/kg}).$$

4.Result Discussion

To look into the efficacy of the CEPIDE algorithmic, it's applied on a six unit, 30-bus IEEE legal action system. Particularly line losses of the system are computed by NR load flow. The projected CEPIDE algorithmic was developed in P5 system in MATLAB surroundings. The IEEE 6unit, thirty bus system shown in Figure one has six generators with thirty eight lines. The full load demand in this technique is 1200 MW. When considering the load flow victimisation using NR technique, the losses were found to be 26.407MW. The load knowledge, bus data and generator knowledge are the key knowledge for ascertaining this downside. The optimum solutions for the system are given in Table 3. When considering the load flow victimisation using Newton Raphson technique, the losses were found to be 26.407 MW. The optimum solutions for the projected system and alternative tested heuristic

systems are given in Table 3. Figure 3 and Figure 4 show the CEPIDE generation price, emission level and combined objective characteristics without and with transmission loss for IEEE thirty bus legal action system. By examination the ELD results obtained by numerous optimisation ways for four test case systems, the results of projected CEPIDE technique are in shut proximity with classical ways. From the differentiation, the CEPIDE technique is found to have total fuel price altogether along with less emission level. The projected EP algorithmic program has conjointly established to become an optimal tool in finding vital economic dispatch downside for units with “chaotic” fuel cost functions. Flow chart shown in Figure 2 illustrates CEPIDE algorithmic program. Such functions enclosed within the pro-proposed CEP seek for sensible downside finding. There's no restriction on the dimensions of the matter that has got to be self-addressed, as a result of its arrangement so specified that the search area is decreased to a optimum. No “relaxation of constraints” is required; instead, populations of possible solutions are generated at every generation and throughout the evolution method. Most benefits of the projected algorithmic program are speed of convergence and higher performance for severe difficult nonlinearities exposed by multi-valving, prohibited zones, multi fuel constraints and dynamic nonlinearities. The projected CEPIDE approach was compared to the connected ways within the references indented to serve this purpose. Achieving a decent balance between exploration and exploitation may be a troublesome issue once applying a heuristic algorithmic program like Fuzzy technique applied earlier by **Song et.al., (1997)** to resolve completely different issues .However the matter out of shifting of resolution purpose in Fuzzy is taken care of through IDE approach of CEPIDE technique. The essential disadvantage of PSO faced earlier by **Ghasemi and Mojtaba et.al., (2020)** like alternative heuristic optimisation techniques, is that it lacks somewhat a concrete mathematical foundation. At its favour CEPIDE approach justifies a correct mathematical foundation. Moreover, intellectual schemes of encryption and cryptography concerned by the GA approach attempted earlier by **He Da Kuo (2007) and Giri Shashikantet.al., (2019)** aren't required within the projected CEPIDE approach. The matter of power imbalance antecedent existing within the resolution of GA is disappointed in addition during this paper. As compared with the results made by the documented techniques, the CEPIDE technique clearly displays a higher performance with relevance to the standard of its evolved solutions and to its process time. Victimising the computed values of total real power generation, real power demand , 252kV conductor specifications ,transmission loss and electric circuit and short check knowledge obtained through experimental establishment shown in Figure 5a and 5b,the transmission parameters of 252kV conductor were computed and tabulated in Table 4.

Table 1 Input data for 6-generating units

Unit	p_{i1}^{max}	p_{i1}^{min}	a_i	b_i	c_i	d_i	e_i	q_i	B_i	γ_i	η_i	S_i
1	10	55	10	40	0.1	33	0.0	360	-3.9	0.0	0.2	0.0
2	20	80	00	5	2	3	1	0	864	4702	5475	1234
3	47	12	.4	4	951	07	74	12	0	0	0	0
4	20	13	03	39	0.1	25	0.0	350	-3.9	0.0	0.2	0.0
5	50	16	95	5	0908	0	178	0	524	4652	5475	1234
6	70	24	06	804	0.1	36	0.0	056	-3.9	0.0	0.2	0.0
			90	36	0.1	32	0.0	330.0	-3.9	0.0	0.2	0.0
			07	104	2511	3	162	056	023	4652	516	1215
			05	39	0.1	30	0.0	330	-3.9	0.0	0.2	0.0
			80	5	0.1	30	0.0	0	023	4652	5163	1215
			07	104	2111	3	168	056	0.3	0.0	0.2	0.0
			05	38	0.1	30	0.0	13.8	0.3	0.0	0.2	0.0
			75	5	5247	3	148	593	277	042	497	12
			67	39	0.1	20	0.0	13	0.3	0.0	0.2	0.0
			99	46	0.1	20	0.0	8	0.3	0.0	0.2	0.0
			45	1	0587	2	163	593	277	042	497	12
			13	592								

Table 2 Cost of generation and Emission level of six units system for power demand (Pd) = 1200 MW

IV	V	Cost(dollar/h)	Emission(ton/h)
1	0	64640.7664	1282.6315
0	1	64645.8387	1276.76911
1	1	64650.8087	1290.4248

Table 3 Generation cost, emission level and combined cost of six unit test case system and other heuristic methods for power demand (PD) = 1200MW

Real Power P_g in MW	Proposed Method	PSO Method	DE method	Fuzzy Logic method	GA method
P_{g1}	98	98	98	98	98
P_{g2}	125	125	125	125	125
P_{g3}	210	210	210	210	210
P_{g4}	200	200	200	200	200
P_{g5}	300	300	300	300	300
P_{g6}	315	315	315	315	315
Cost(dollar/h)	64640.7664	64650.5864	64655.7764	64660.7854	4658.6786
Emission(Ton/h)	1282.6515	1284.5515	1286.4515	1289.6315	1287.2515
Combined Cost in (dollar/h)	64650.377	64655.257	64660.477	64670.377	64665.377

Table 4 Transmission line test case data and experimental result for simulating a 2.52KM transmission line

Sendi end	Sendi end	Recevi end	Line Len in km	Analysis Method	Number of π sections	Sending end Power Ps In Watts per phase	Recevi end Power Pr in Watts per phase	A=D = $1 + \frac{YZ}{2}$	B=Z = $Y(1 + \frac{YZ}{4})$	C= $\frac{ZY}{4}$	
175	0.456	60	4.44	252	Normal π	7	47.49	45.12	1.01	13.5	0.00
								60	793	24	

Figure3 Operating function, emission

level function and total objective

function versus output power without

transmission loss

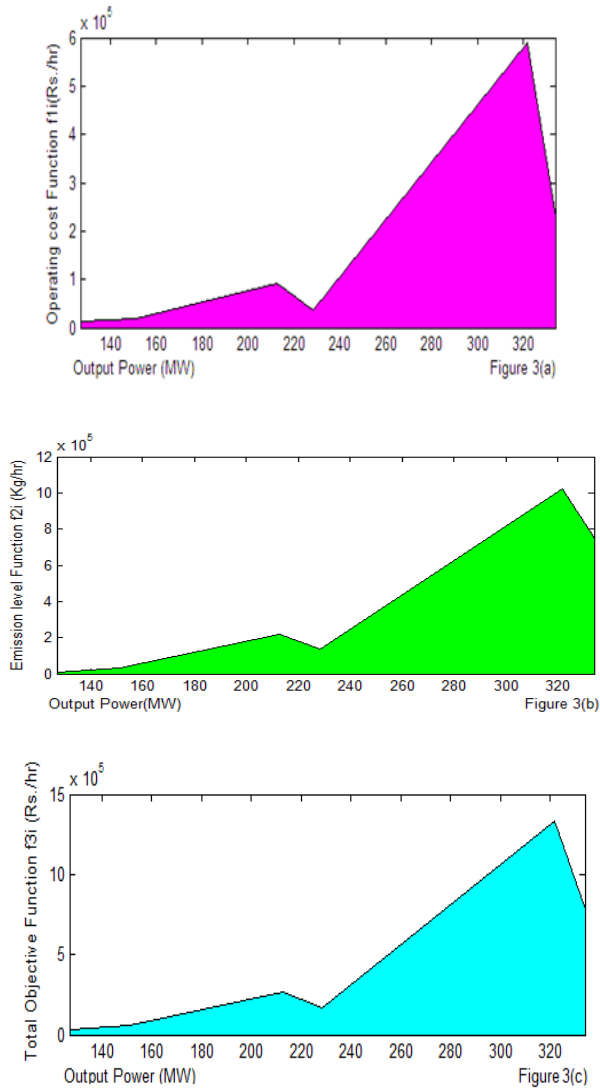
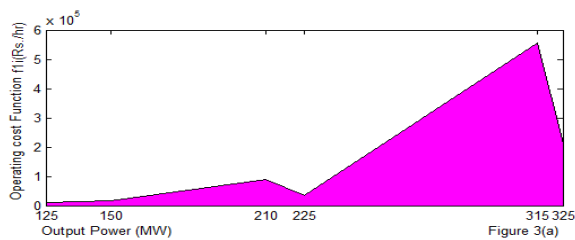
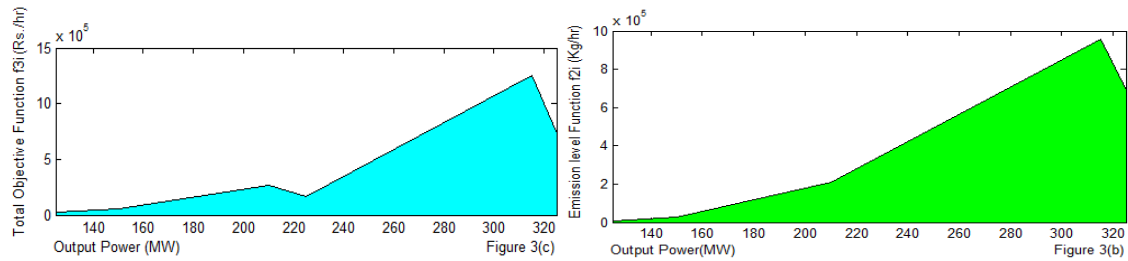


Figure4 Operating function, emission

level function and total objective function versus output power with transmission loss





5. Experimentation on HVAC transmission line with bench transmission line simulator

Experimentation on HVAC line with Honalec based bench transmission line simulator machine (BTLS) supported by the Bijupatnaik University underneath CRIS project funded by BPUT jointly with AICTE investigates single-phase as well as three-phase transmission lines underneath variable load subjected to variable power issue and inserted fault conditions. The analysis was carried out with inserted fault conditions involving BTLS at variable load conditions which was attempted earlier by **Krivickas R.V(2007) and Sveikata et.al.,(2008)**. The single-phase line contains a group of inductive impedances connected in series. The tapings thus provided permit the user to vary the length of the simulated line, establish nominal ‘Pi’ or ‘Tee’ ways of loss identification victimization of distinct values of capacitance and monitor the voltage, current and power at any purpose on the load. The three-phase line constitutes six sections pictured in ‘per-unit’ values. It's having provision to control underneath variable balanced or unbalanced RLC (resistive, inductive and capacitive) masses and supplied with selectable neutral provision to vary the length parameters. From this experimentation the open circuit and short parameters of 252 kilometre line with a test suit circuit voltage of 275 Volts and short voltage of 60V are obtained and therefore creating use of those knowledge and experimental values tabulated in Table4, the transmission parameters of the said project are calculated as under;

$$\text{Copper loss} = I^2 \times R = (P_s/\text{phase} - P_r/\text{phase})$$

$$I_{os}^2 = (P_s/\text{phase} - P_r/\text{phase}) / R$$

$$\Rightarrow R/\text{km}/\text{Phase} = R/252 (\text{for 7 section over a span of 180 km})$$

From Short circuit test

$$P_s = 47.49 \text{ w}$$

$$P_r = V_r \times I_{os} \times \cos\Phi_r = 117.2 \times 0.45 \times 0.917 = 45.12 \text{ w}$$

$$I_{os} = 0.456 \text{ A}$$

$$\Rightarrow R = \frac{47.49 - 45.12}{(0.456^2)} = 12.69 \Omega$$

$$\Rightarrow R/\text{phase}/\text{km} = 12.69 / (3 \times 252) = 0.0167 \Omega$$

Determination of impedance of the line per section per kM(z)

$$z = V_{sc} / (I_{sc} \times 252) = 60 / (4.44 \times 252) = 0.0536 \Omega/\text{phase}/\text{kM}$$

$$X_L = \sqrt{z^2 - R^2} \quad \text{P} \quad X_L = \sqrt{0.0536^2 - 0.0167^2} = 0.0509 \Omega$$

$$\Rightarrow 2\pi fL = 0.0569$$

$$\Rightarrow L = 0.0509/2 \times \pi \times f$$

$$\Rightarrow = 0.0509/2 \times \pi \times 49.82$$

$$L = 0.00016H$$

From open circuit data $I_{OS} / V_{OS} = 2\pi fC$

$$\Rightarrow C = (I_{OS} / V_{OS} \times 2 \times \pi \times f)$$

$$= 0.42 / (175 \times 2 \times \pi \times 49.82)$$

$$\Rightarrow C = 7.66\mu f \text{ (this value of } C \text{ is for all 7 sections)}$$

$$\Rightarrow \text{Capacitance per phase per kM is given by, } C = 7.66\mu f / 252 \Rightarrow C = 0.030 \mu f$$

$$\Rightarrow y = 2 \times \pi \times f \times C = 2 \times \pi \times 49.82 \times 0.030 \times 10^{-6}$$

$$= 9.39 \times 10^{-6} \left(\begin{array}{l} \text{Where } y \text{ is capacitive} \\ \text{susceptance in Mho / phase / kM} \end{array} \right) \text{ Like the medium transmission line, the long line can also}$$

be approximated into an equivalent Π representation. In the Π -equivalent of a long transmission line, the series impedance is

denoted by Z' while the shunt admittance is

denoted by Y' .

$$\text{Where, } \gamma = \sqrt{zy}, Z_c = \sqrt{\frac{Z}{y}}, Z = z \times l, \text{ and } Y = y \times l.$$

So, the ABCD parameters of this long line can be defined like medium transmission line and found as under;

$$Z' = Z_c \sinh \gamma l = \sqrt{\frac{Z}{y}} \times \sinh \sqrt{yz} \times l = \frac{z \sinh \gamma l}{1 \sqrt{yz}} = \frac{Z \sinh \gamma l}{\gamma l}$$

$$\cosh \gamma l = 1 + \frac{ZY'}{2} = \frac{Y'}{2} \times Z_c \sinh \gamma l + 1$$

By rearranging the terms in the above equation we get;

$$\begin{aligned} \text{P } \frac{Y'}{2} &= \frac{1}{Z_c} \frac{\cosh \gamma l - 1}{\sinh \gamma l} = \sqrt{\frac{y}{z}} \tanh \frac{\gamma l}{2} \\ &= \frac{\gamma l}{2} \times \frac{\tanh \frac{\gamma l}{2}}{\frac{1}{2} \sqrt{yz}} = \frac{Y}{2} \times \frac{\tanh \frac{\gamma l}{2}}{\frac{1}{2} \sqrt{yz}} \text{ P } Y' = Y \times \frac{\tanh \frac{\gamma l}{2}}{\frac{\gamma l}{2}} \end{aligned} \quad \text{A} = \text{D} = 1 + \frac{Y'Z'}{2} \text{ per unit} \quad (45)$$

$$B = Z'\Omega \quad (46) \quad C = Y(1 + \frac{Z'Y'}{4}) \text{Mho} \quad (47) \Rightarrow A =$$

$$1.0160, B = 13.5793 \Omega, C = 0.0024 \text{ Mho} \text{ and } D = 1.0160$$

Table 4 Transmission line test case data and experimental result for simulating a 252kM transmission line

6. Scope for future work

The CEPIDE improvement is often applied to sensible systems involving multi objectives and multi constraints. The projected methodology is often hybridized for the solution of MOELD attempted by **Fadil, S. and Urazel, B.(2013)** with totally different techniques like fuzzy logic, hybrid PSO (particle swarm optimization attempted by **Almasoud(2015) and Tahyudin Imam et.al.,(2019)**), ANN (artificial neural network) etc. This also can be applied to social planning involving multiple intelligences (**Tanuj Girkan, Çağlayan Dinçer and Burcu Çabuk, 2019**).

7. Conclusion

This paper aims at ascertaining a much better economical, quick and sturdy answer for ELD downside to totally different improvement techniques, namely, classical biological process programming (CEP), and improved differential evolution (IDE) programming particularly CEPIDE technique. The results ascertained using these ways are moderately approximate. Within classical biological process programming technique applied to the ELD downside, the vital processes simulated are mutation, competition and choice. Competition and choice of area units applied to pick within the foyes and therefore, the offspring resulted is most effective solution, to make the premise of the next generation. The Improved differential evolution algorithmic rule is included to raise efficacy of classical biological process programming. It prevents classical biological process programming from venturing into native optimum region, thereby improved differential evolution helps in reducing sizeable quantity of CPU time. In CEPIDE improvement technique, IDE is utilized within the mutation as a part of classical biological process technique and therefore, the answer obtained through classical biological process programming is fed as initial answer to IDE. IDE additionally wants to verify the constraints that are time consuming once done by CEP alone. On scrutiny of the projected techniques, the CEPIDE technique is found to display a satisfactory performance. In CEP, there's no conspicuous bound on the dimensions of the matter that has got to be addressed as its system is specified and the search area is reduced to an optimum. The individuals of possible solutions are created at every generation and throughout the evolution process. No modification of restriction is needed. Improved differential evolution is understood to converge to the world minimum with a chance near to unity and therefore improves any given solution. Thus, the solution obtained through classical biological process programming based improved differential evolution (CEPIDE) has higher quality in terms of economy and computation time. The Transmission parameters obtained vide victimization of real power generation, power demand and transmission loss of area unit are quite satisfactory in meeting out the erection demand of transmission lines within the selected and declared sensible cities and busy cities. The transmission parameters obtained using real power generation, power demand and transmission loss are quite satisfactory in meeting out the erection requirement of transmission lines in the designated as well as declared smart cities and other busy cities as well.

References

1. Ghasemi M, Aghaei J, Akbar E, Ghavidel S and Li L. A differential evolution particle swarm optimizer for various types of multi-area economic dispatch problems. *Energy*. 2016; 107:182–195, DOI: 10.1016/j.energy.2016.04.002.

2. Miranda V. Evolutionary computation in power system. *International Journal of Electrical Power and Energy system*.1998; 20(2):89-98.
3. Hota P K, Chakrabarti R and Chattopadhyay P K. Short term hydrothermal scheduling through evolutionary programming technique. *Electrical power systems and research*.1999;52(2):189-196.
4. Lu Y, Zhou J, Qin H, Li Y and Zhang Y. An adaptive hybrid differential evolution algorithm for dynamic economic dispatch with valve-point effects. *Expert Syst. Appl.*2010;37(7):4842–4849, DOI: 10.1016/j.eswa.2009.12.031,2010.
5. Sonmez Y, Kahraman H T, Dosoglu M K, Guvenc U and Duman S. Symbiotic organisms search algorithm for dynamic economic dispatch with valve-point effects. *J. Exp. Theory Artificial Intelligence*.2017; 29(3):495–515, DOI: 10.1080/0952813X.2016.1198935.
6. Banerjee S, Maity D and Chandra C K. Teaching learning based optimization for economic load dispatch problem considering valve point loading effect. *Int. J. Electr. Power Energy Syst.*2015; 73:456–464, DOI: 10.1016/j.ijepes.2015.05.036.
7. Sharma Ansil, Govind R. and Goyal. Solution of an ELD problem with valve-point effect using artificial intelligence techniques. *International Information and Engineering Technology Association Journal*. 2017; 4:132-138, DOI: 10.18280/mmep.040304.
8. Park Y M, Wong J R & Park J B. A new approach to economic load dispatch based on improved evolutionary programming. *Eng. Intell. System Elect. Eng Commun.*1998; 6(2): 103-110.
9. Alamode Kehinde Olukunmi, Adegboyega Gabriel Adebayo and Muhideen Jabil Abimbola. NSGA-II/EDA Hybrid Evolutionary Algorithm for Solving Multi-objective Economic/Emission Dispatch Problem. *Electric power component system*.2018; 0(0):1-13, DOI:10.1080/15325008.2018.1488302.
10. Subramanian S & Ganesana S. A Simplified Approach for Economic Dispatch with Piecewise Quadratic Cost Functions. *International Journal of Computer and Electrical Engineering*.2010; 2(5):1793-1816.
11. Park J H, Kim Y S, Eom I K & Lee K Y. Economic load dispatch for piecewise quadratic cost function using Hopfield neural network. *IEEE Trans. Power Systems*.1993; 8(3):1030-1038.
12. Santra Dipankar, Sarker Krishna, Mukherjee Anirban and Mondal Subrata. Combined. *International Journal of Hybrid Intelligence*.2019;1(2/3): 211– 238, DOI:10.1504/IJHI.2019.103579.
14. Kulkarni P S, Kothari A G & Kothari D P. Combined economic and emission dispatch using improved back-propagation neural network. *Electric Power Comp Syst*.2000;28: 31–44.
15. Sharma Raginee, Jain Achala and Huddar Anupama. Hybrid Algorithm for Solving Economic Emission Dispatch Problem. *International Journal of Recent Technology and Engineering*.2020; 8(5):4661-4669, DOI:10.35940/ijrte.E6815.018520.
16. Sinha Nidul, Chakrabarti R and Chattopadhyay P K. Evolutionary Programming Techniques for Economic Load Dispatch. *IEEE transactions on evolutionary computation*.2003; 7(1): 83-94, DOI:10.1109/TEVC.2002.806788.
17. Yang H T, Yang P C and Huang C L. Evolutionary programming based economic dispatch for units with non-smooth fuel cost functions. *IEEE Transactions on Power Systems*.1996;11(1):112–118, DOI: 10.1109/59.485992.
18. Kenneth V P. Differential Evolution, A Fast and Simple Numerical Optimizer. *Fuzzy Information Processing Society, Biennial Conference of the North Americans*.1996:524 – 527.
19. Gaing Z L. Particle Swarm Optimization for solving the economic dispatch considering the generator constraints. *IEEE Transaction on Power Systems*.2003; 18(3): 1187-1195.
20. Papago L G and Fraga E S. A mixed integer quadratic programming formulation for the economic dispatch of generators with prohibited operating zones. *Electric Power Systems Research*.2007; 77(10): 1292-1296.
21. Dos L and Coelho S. Differential evolution based on truncated Levy-type flights and population diversity measure to solve economic load dispatch problems. *International Journal of Electrical Power and Energy Systems*.2014; 57:178-188.
22. Rajagopalan A. Solving economic load dispatch problems using chaotic self-adaptive differential harmony search algorithm. *International Transactions on Electrical Energy Systems*.2015;25(5):845-858.
23. Zou X, Kong D, Li H, Ouyang and Li Z. Solving the dynamic economic dispatch by a memory-based global differential evolution and a repair technique of constraint handling. *Energy*.2018; 147: 59–80, DOI: 10.1016/j.energy.2018.01.029.
24. Song Y H, Wang G S, Wang P Y & Johns A T. Environmental economic dispatch using fuzzy logic controlled genetic algorithm. *IEEE Proceeding, Generation Transmission, Distribution*.1997;(44):377-382.

25. Mojtaba Ghasemi, Ebrahim Akbari, Mohammad Z, Morteza Hadipour, Sahand Ghavidel & Li Li. An Efficient Modified HPSO-TVAC-Based Dynamic Economic Dispatch of Generating Units. *Electric Power Components and Systems*. 2020; 0(0):1-15, DOI: 10.1080/15325008.2020.1731876.
26. He Da kuo, Wang Fu li and Mao Zhizhong. Hybrid genetic algorithm for economic dispatch with valve-point effect. *Electric Power Systems Research*. 2007; 78: 626–633, DOI: 10.1016/j.epsr.2007.05.0082008.
27. Giri, Shashi Kant, Mohan Anand and Sharma Arun Kumar. Economic Load Dispatch in Power System by Hybrid Swarm Intelligence. *International Journal of Recent Technology and Engineering (IJRTE)*. 2019; 8(3):2277-3878, DOI: 10.35940/ijrte.C4411.098319.
28. Krivickas R V And Sveikata J A. Electric circuits laboratory, a case study // 18th EAEEIE Annual Conference on Innovation in Education for Electrical and Information Engineering, Praha, Czech Republic, Czech Technical University. 2007; 1–5: 5.
29. Sveikata J A and Dekeris B. Changes of equipment and topics in laboratory of circuit theory // Innovation in Education for Electrical and Information Engineering. Estonia, proceedings of the 19th EAEEIE Annual Conference, allin, European Association for Education in Electrical and Information Engineering. 2008:1–4.
30. Fadil S and Urazel B. Solution to security constrained non convex pumped–storage hydraulic unit scheduling problem by modified sub-gradient algorithm based on feasible values and pseudo water price. *Electric Power Components and Systems*. 2013; 41(2):111-135.
31. Almasoud A and Gandayh H M. Future of solar energy in Saudi Arabia. *J. King Saud Univ.-Eng. Sci.* 2015; 27(2): 153–157.
32. Tahyudin Imam and Nambo Hide taka. Improved optimization of numerical association rule mining using hybrid particle swarm optimization and Cauchy distribution. *International Journal of Electrical and Computer Engineering*. 2019; 9(2): 1359-1373, DOI: 10.11591/ijece.v9i2.pp1359-1373.
33. Tanuj Gürkan, Caglayan Dincer, Burcu Cabuk. Integrating Multiple Intelligences into Daily Plans: A Preschool Example. *Turkish Online Journal of Qualitative Inquiry*. 2019; 10(3): 321-345.



¹SUSANTA KUMAR GACHHAYAT procured his UG degree from IE (India), Completed Master's Program from SRM university, Chennai and working as an Asst. Professor in the Dept. of EE, in KIST, Bhubaneswar. At present he is continuing PhD in BPUT under the guidance of Professor (Dr.) S. K. Dash.



²PROFESSOR (DR.) S. K. DASH received the UG degree in Electrical Engineering from I.E, India in 1991 and accomplished Master's Program in electrical engineering from UCE, Burla (Sambalpur University), India, in 1998 and the PhD degree from Utkal University, Odisha, India in the year 2006. He has been with the Electrical Engineering Department, Gandhi Institute for Technological Advancement as a Professor and Head of the Department since 2005. Prior to it he worked in industry for 5 years and in OSME, Keonjhar, for 2 years and in Krupajal Engineering College for 4 years. His research areas include power system planning, operation, and optimization techniques relating to power system dispatch. Dr. Dash received Pundit Madan Mohan Malaviya award, Union Ministry of Power Prize and gold medals thereof for his research papers entitled "Economic load dispatching of generating units with multi-fuel options" and "Short term generation scheduling with take or pay fuel contract using evolutionary programming technique" on Multi Objective Generation Dispatch. He too authored two books entitled 'Fundamentals of Electromagnetic Field Theory' and 'Basic Electrical Engineering' under the umbrella of PHI Publication and YESDEE publication in the year 2010 and 2016 respectively. Dr. Dash is engaged as a reviewer of EPCS, and E P S R journals of IEEE. He is the recipient of best session chair award in the World Academy of Science, Engineering and Technology (WASET) Conference held in SAN FRANCISCO, USA during 7th June 2017 and also received thereof best paper presentation award for two of his research papers on PSO based economic dispatch and EP based economic dispatch. He is too awarded with energy conservation award in the year 2015 and 2016 as well for bringing solar power plants in GITA, Bhubaneswar.